

Lesson 20

Applications of Linear Systems

System Models:

Substitution Method

Set both equations up in Slope – Intercept Form

$$y = mx + b$$

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$$\text{Cost}(x) = mx + b$$

$$\text{Revenue}(x) = mx$$

When the Revenue (Income) and the Cost are the same, you break even!

Examples: Set up the system of equations and solve the system.

1. Suppose a model airplane club publishes a newsletter. Expenses are \$0.90 for printing and mailing each copy, plus \$600 total for research and writing. The price of the newsletter is \$1.50 per copy. How many copies of the newsletter must the club sell to break even?

\$ 0.90 per copy (expense)

\$ 600 → one-time

\$ 1.50 per copy (income)

1000 copies need to
be sold to break even

$$\text{Cost} = 0.90x + 600$$

$$\text{Income} = 1.50x$$

$$\begin{array}{r} 1.50x = 0.90x + 600 \\ -0.90x \quad -0.90x \\ \hline \end{array}$$

$$\begin{array}{r} 0.60x = 600 \\ 0.60 \quad 0.60 \\ \hline \end{array}$$

$$x = 1000$$

2. Suppose an antique car club publishes a newsletter. Expenses are \$0.35 for printing and mailing each copy, plus \$770 total for research and writing. The price of the newsletter is \$0.55 per copy. How many copies of the newsletter must the club sell to break even?

Cost \$ 0.35 per copy

\$ 770 one-time

Income \$ 0.55 per copy

3850 copies need to
be sold to break even

$$\text{Cost} = 0.35x + 770$$

$$\text{Income} = 0.55x$$

$$\begin{array}{r} 0.55x = 0.35x + 770 \\ -0.35x \quad -0.35x \\ \hline \end{array}$$

$$\begin{array}{r} 0.20x = 770 \\ 0.20 \quad 0.20 \\ \hline \end{array}$$

$$x = 3850$$